

**Department Of Computer Science**  
**B.Sc-I**  
**Semester-II**  
**Subject-Relational DataBase Management System**  
**Unit-I**  
**DataBase Design Entity Relationship(ER)**

## **Basic Structure of Entity Relationship**

Entity Relationship diagram is used to represent data object.

It is developed by Charles Bachman.

ER model first introduce 1976.

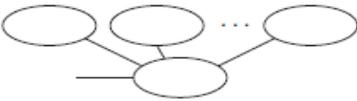
It is a graphical representation of entity and their relationship in a database structure.

ER model normally represented in an Entity Relationship Diagram(ERd) with user graphical representation on to a model database component.

ER Diagram diagrammatic representation of entity, their attributes and relationship between the entities.

**Notation Used For ER Diagram for below fig.**

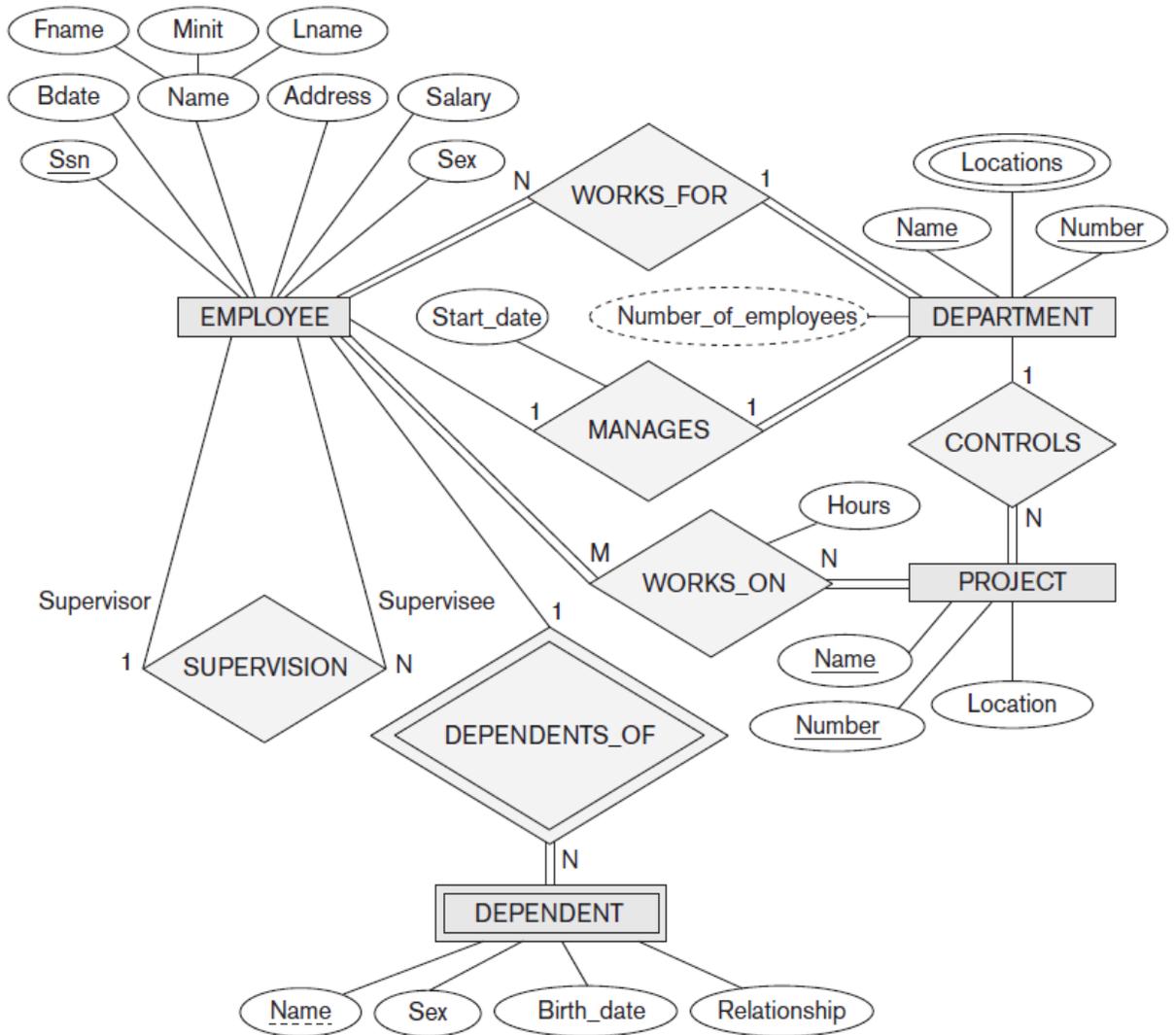
**Department Of Computer Science**  
**B.Sc-I**  
**Semester-II**  
**Subject-Relational DataBase Management System**  
**Unit-I**  
**DataBase Design Entity Relationship(ER)**

Symbol	Meaning	Figure 7.14 Summary of the notation for ER diagrams.
	Entity	
	Weak Entity	
	Relationship	
	Identifying Relationship	
	Attribute	
	Key Attribute	
	Multivalued Attribute	
	Composite Attribute	
	Derived Attribute	
	Total Participation of $E_2$ in $R$	
	Cardinality Ratio 1: N for $E_1:E_2$ in $R$	
	Structural Constraint (min, max) on Participation of $E$ in $R$	



**Department Of Computer Science**  
**B.Sc-I**  
**Semester-II**  
**Subject-Relational DataBase Management System**  
**Unit-I**  
**DataBase Design Entity Relationship(ER)**

**Construction Of ER Diagram :**



**Figure 7.2**  
 An ER schema diagram for the COMPANY database. The diagrammatic notation is introduced gradually throughout this chapter and is summarized in Figure 7.14.

**Department Of Computer Science**  
**B.Sc-I**  
**Semester-II**  
**Subject-Relational DataBase Management System**  
**Unit-I**  
**DataBase Design Entity Relationship(ER)**

### **ER to Relational Mapping**

Express the number of entities to which another entity can be associated via a relationship set.

Most useful in describing binary relationship sets.

For a binary relationship set the mapping cardinality must be one of the following types:

One to one

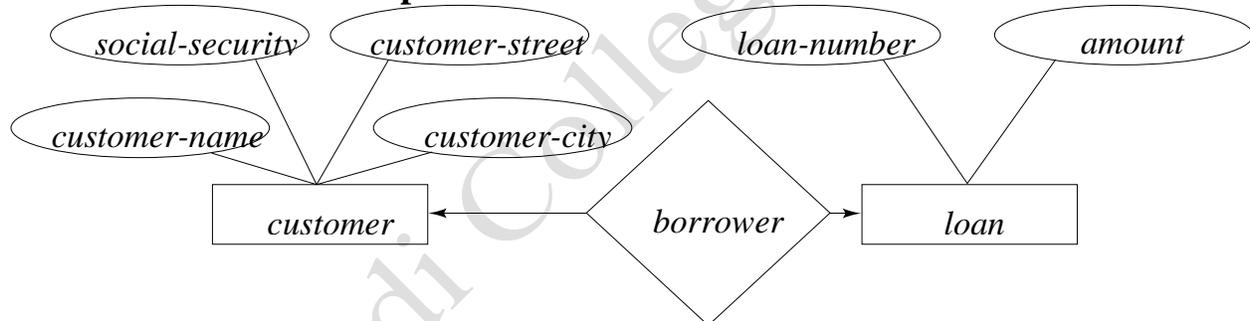
One to many

Many to one

Many to many

We distinguish among these types by drawing either a directed line ( $\rightarrow$ ), signifying “one,” or an undirected line ( $-$ ), signifying “many,” between the relationship set and the entity set.

#### **One-To-One Relationship:**



A customer is associated with at most one loan via the relationship borrower

A loan is associated with at most one customer via borrower

#### **One-To-Many and Many-to-One Relationship**

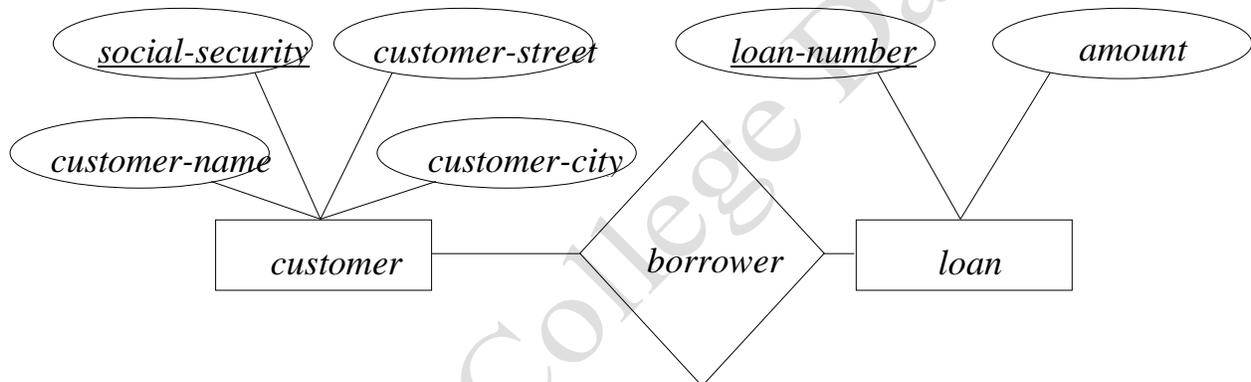
In the one-to-many relationship (a), a loan is associated with at most one customer via borrower; a customer is associated with several (including 0) loans via borrower

**Department Of Computer Science**  
**B.Sc-I**  
**Semester-II**  
**Subject-Relational DataBase Management System**  
**Unit-I**  
**DataBase Design Entity Relationship(ER)**

In the many-to-one relationship (b), a loan is associated with several (including 0) customers via borrower; a customer is associated with at most one loan via borrower

**Many-To-Many Relationship:**

A customer is associated with several (possibly 0) loans via borrower • A loan is associated with several (possibly 0) customers via borrower



**Department Of Computer Science**  
**B.Sc-I**  
**Semester-II**  
**Subject-Relational DataBase Management System**  
**Unit-I**  
**DataBase Design Entity Relationship(ER)**

**Relationship Diagram : Specialization, Generation and Aggregation**

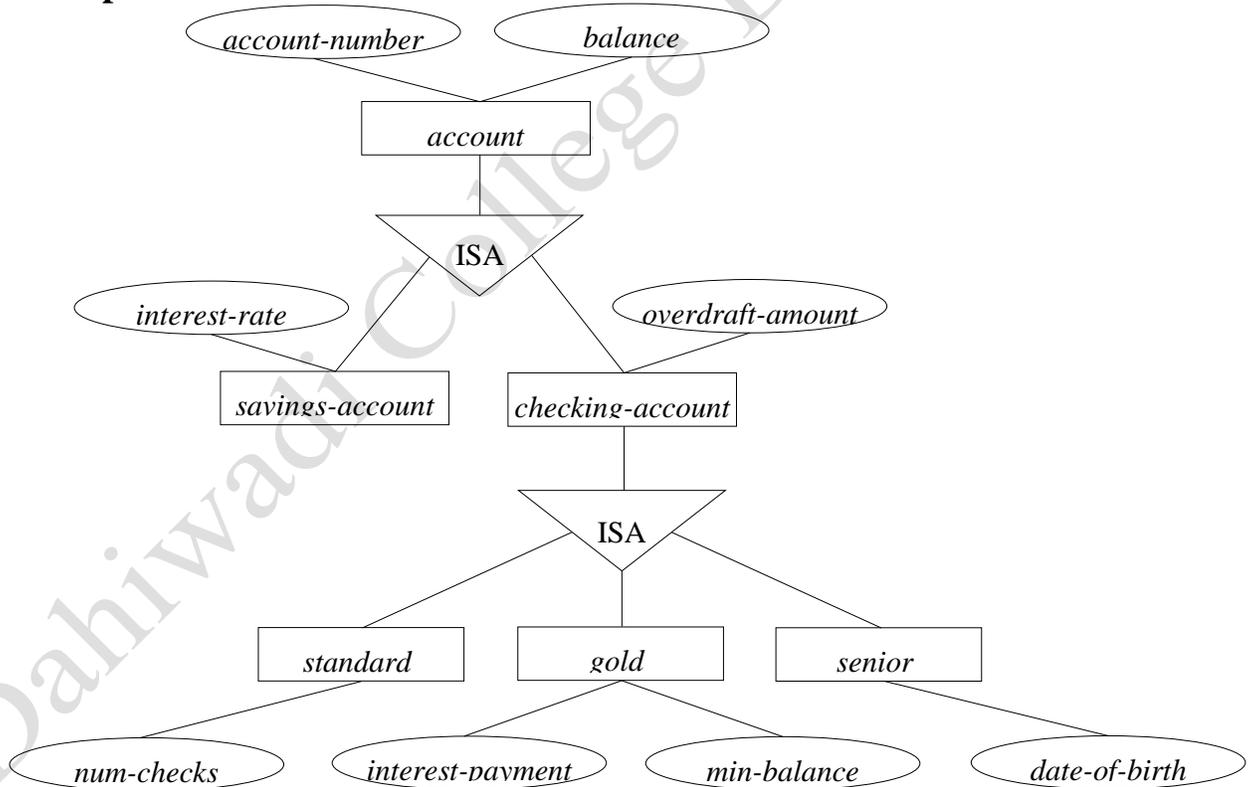
- **Specialization:**

Top-down design process; we designate subgroupings within an entity set that are distinctive from other entities in the set.

These subgroupings become lower-level entity sets that have attributes or participate in relationships that do not apply to the higher-level entity set.

Depicted by a triangle component labeled ISA (i.e., savings-account “is an” account)

**Example:**



**Department Of Computer Science**  
**B.Sc-I**  
**Semester-II**  
**Subject-Relational DataBase Management System**  
**Unit-I**  
**DataBase Design Entity Relationship(ER)**

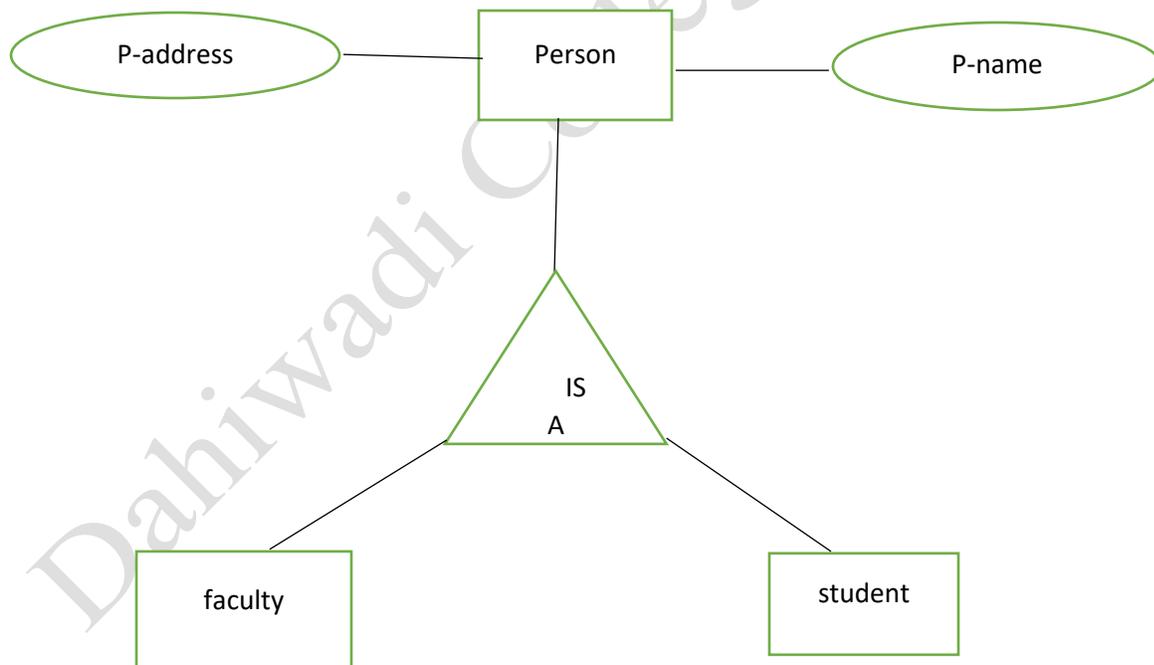
- **Generalization:**

A bottom-up design process – combine a number of entity sets that share the same features into a higher-level entity set

Specialization and generalization are simple inversions of each other; they are represented in an E-R diagram in the same way.

**Attribute Inheritance** – a lower-level entity set inherits all the attributes and relationship participation of the higher-level entity set to which it

**Example:**

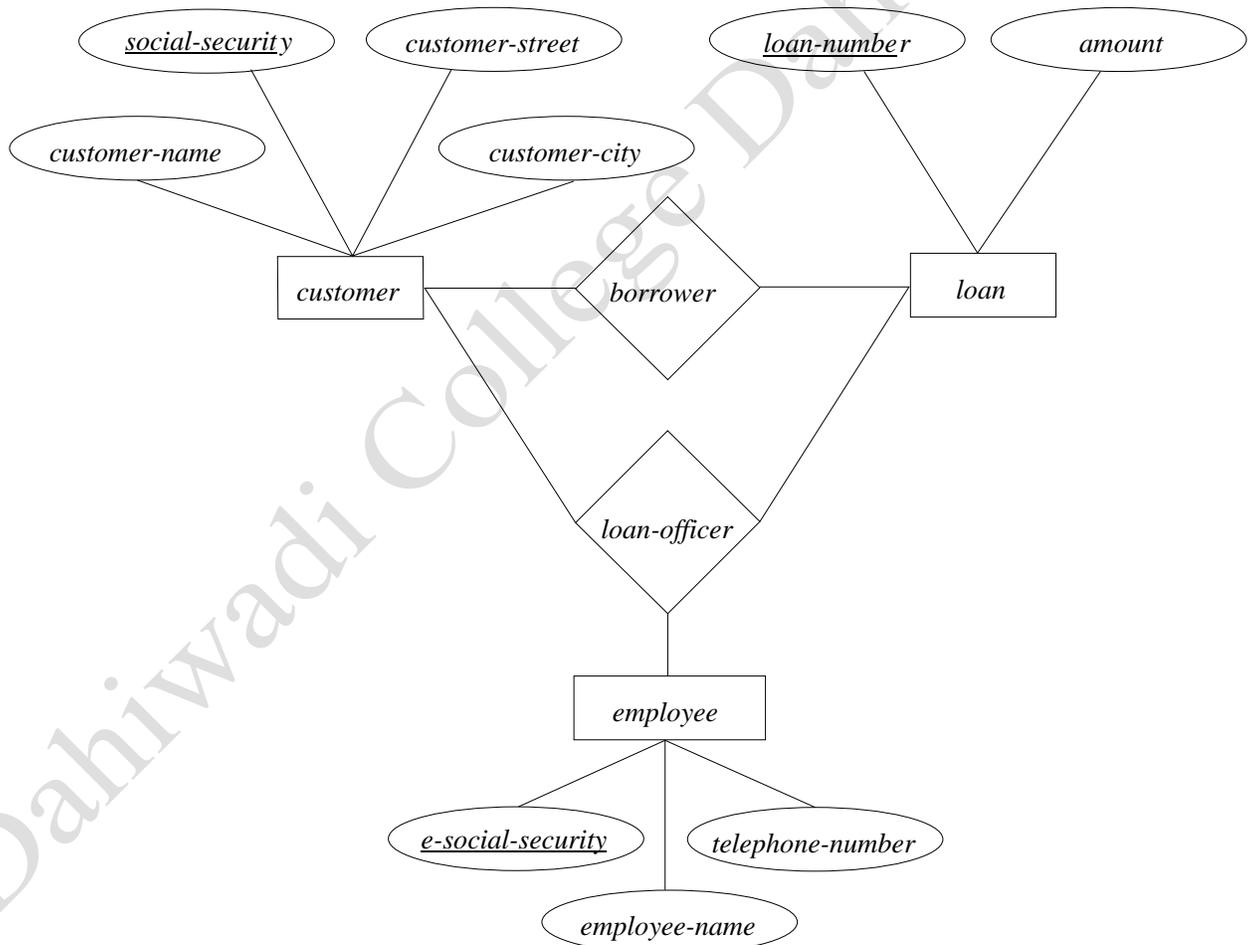


**Department Of Computer Science**  
**B.Sc-I**  
**Semester-II**  
**Subject-Relational DataBase Management System**  
**Unit-I**  
**DataBase Design Entity Relationship(ER)**

**Aggregation:**

- Loan customers may be advised by a loan-officer.

**Example:**



**Department Of Computer Science**  
**B.Sc-I**  
**Semester-II**  
**Subject-Relational DataBase Management System**  
**Unit-I**  
**DataBase Design Entity Relationship(ER)**

**Functional Dependency:**

A functional dependency (abbreviated as FD or f.d.), denoted by  $X \rightarrow Y$ , between two sets of attributes  $X$  and  $Y$  that are subsets of  $R = \{A_1, A_2, \dots, A_n\}$  specifies a constraint on the possible tuples that can form a relation state  $r$  of  $R$ . The constraint is that, for any two tuples  $t_1$  and  $t_2$  in  $r$  that have  $t_1[X] = t_2[X]$ , we must also have  $t_1[Y] = t_2[Y]$ .

$X \rightarrow Y$ :  $X$  functionally determines  $Y$  or  $Y$  is functionally dependent on  $X$   
 $X$  functionally determines  $Y$  in a relation schema  $R$  if and only if, whenever two tuples of  $r(R)$  agree on their  $X$ -values, they must necessarily agree on their  $Y$ -values.

{ If  $X$  is a candidate key of  $R$ , this implies that  $X \rightarrow Y$  for any subset of attributes  $Y$  of  $R$ .

{ If  $X \rightarrow Y$  in  $R$ , this does not say whether or not  $Y \rightarrow X$  in  $R$ .

\_ A functional dependency is a constraint that any relation extensions  $r(R)$  must satisfy the functional dependency constraint at all times.

**Candidate Keys and Superkeys**

Let  $R = (U; F)$  be a relation schema, where  $U$  is the set of attributes and  $F$  is the set of functional dependencies.

\_ A subset  $X$  of  $U$  is a superkey for a relation schema  $R$  if  $(X \rightarrow U)$  is in  $F^+$ , i.e.,  $X^+ = U$ .

$F = U$ .

\_ A subset  $X$  of  $U$  is a candidate key for  $R$  if  $X$  is a superkey and no proper subset of  $X$  is a superkey.

That is, if  $X$  is a candidate key, then  $(X^+ = U)$  and  $(\nexists Y \text{ such that } Y \subset X \text{ and } Y^+ = U)$ .

\_ Example: Is  $(ABE)$  a superkey for  $R = (U; F)$ , where  $U = \{A; B; C; D; E\}$  and  $F = \{A \rightarrow D; AD \rightarrow E; B \rightarrow E; CD \rightarrow I; E \rightarrow C\}$

{ Is  $F \models X \rightarrow U$  ?

$(ABE)^+$

**Department Of Computer Science**  
**B.Sc-I**  
**Semester-II**  
**Subject-Relational DataBase Management System**  
**Unit-I**  
**DataBase Design Entity Relationship(ER)**

$F = ABEDCI = U$ , therefore,  $ABE \neq U$  and  $ABE$  is a superkey for  $R$ .

\_ Example: Is  $(ABE)$  a candidate key for  $R$  ? Where  $R$  is as previous example.

{ We know  $ABE$  is a superkey.

{  $A^+$

$F = ADECI \neq U$

$B^+$

$F = B \neq U$

$E^+$

$F = EC \neq U$

$AB^+$

$F = ABDECI = U$  )  $ABE$  is not a candidate key.

$AE^+$

$F =$

$BE^+$

$F =$

$ABE^+$

$F =$

\_ How about \_finding all candidate keys for  $R = fU; Fg$ , where  $U = fA;B;C;D;Eg$  and

$F = fAB \neq E; E \neq AB; EC \neq Dg$ .

### **Types of Keys:**

- **Composite key:** Key that is composed of more than one attribute
- **Key attribute:** Attribute that is a part of a key
- **Entity integrity:** Condition in which each row in the
  - table has its own unique identity
  - \_ All of the values in the primary key must be unique
  - \_ No key attribute in the primary key can contain a null

**Department Of Computer Science**  
**B.Sc-I**  
**Semester-II**  
**Subject-Relational DataBase Management System**  
**Unit-I**  
**DataBase Design Entity Relationship(ER)**

**Normalization of Relations:**

\_ The normalization process takes a relation schema through a series of tests to "certify" whether it satisfies a certain normal form. If the schema does not meet the normal form test, the relation is decomposed into smaller relation schemas that meet the tests.

\_ The purpose of normalization is to analyze the given relation schemas based on their FDs and primary keys to achieve the desirable properties of (1) minimizing redundancy and (2) minimizing the insertion, deletion, and update anomalies.

\_ 1NF, 2NF, 3NF, and BCNF are based on the functional dependencies among the attributes of a relation.

\_ Database design as practiced in industry today pays particular attention to normalization only up to 3NF or BCNF (sometimes 4NF).

**First Normal Form**

- \_ 1NF: the domain of an attribute must include only atomic values and the value of any attribute in a tuple must be a single value from the domain of that attribute.

**Second Normal Form**

- \_ 2NF is based on the concept of fully functional dependency.
- \_  $X \twoheadrightarrow Y$  is a full functional dependency if for any attribute  $A \in X$ ;  $(X \setminus A) \twoheadrightarrow Y$ .
- \_  $X \twoheadrightarrow Y$  is a partial functional dependency if for some attribute  $A \in X$ ;  $(X \setminus A) \twoheadrightarrow Y$ .
- \_ 2NF: a relation schema R is in 2NF if every nonprime attribute A in R is fully functionally dependent on the primary key of R.

**Third Normal Form**

**Department Of Computer Science**  
**B.Sc-I**  
**Semester-II**  
**Subject-Relational DataBase Management System**  
**Unit-I**  
**DataBase Design Entity Relationship(ER)**

- $\_ 3NF$  is based on the concept of transitive dependency.
- $\_ X \rightarrow Y$  in a relation schema  $R$  is a transitive dependency if there is a set of attributes  $Z$  that is neither a candidate key nor a subset of any key of  $R$ , and both
- $X \rightarrow Z$  and  $Z \rightarrow Y$  hold.
- $\_ 3NF$ : a relation schema  $R$  is in  $3NF$  if it satisfies  $2NF$  and no nonprime attribute of  $R$ 
  - is transitively dependent on the primary key.

**Boyce-Codd Normal Form**

- $\_ BCNF$  is a stronger normal form than  $3NF$ . That is, every relation in  $BCNF$  is also in
- $3NF$ ; however, a relation in  $3NF$  is not necessarily in  $BCNF$ .
- $\_ BCNF$ : a relation schema  $R$  is in  $BCNF$  if whenever a nontrivial functional dependency
- $X \rightarrow A$  holds in  $R$ , then  $X$  is a superkey of  $R$ .